

# Data Science

# Smart Grid Applications

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**EDF, Inc.**

# Agenda

1. Motivations
2. Overview of data science
3. Some smart grid applications
  - Optimization-friendly models of complex energy systems
  - Text analytics for maintenance & safety
  - Robust energy management

# Acknowledgments

This work has been done in collaboration with

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- Andy Packard, Vu Pham, Chris Meissen (UC Berkeley).

Industry sponsors and collaborators:



# EDF Research & Development

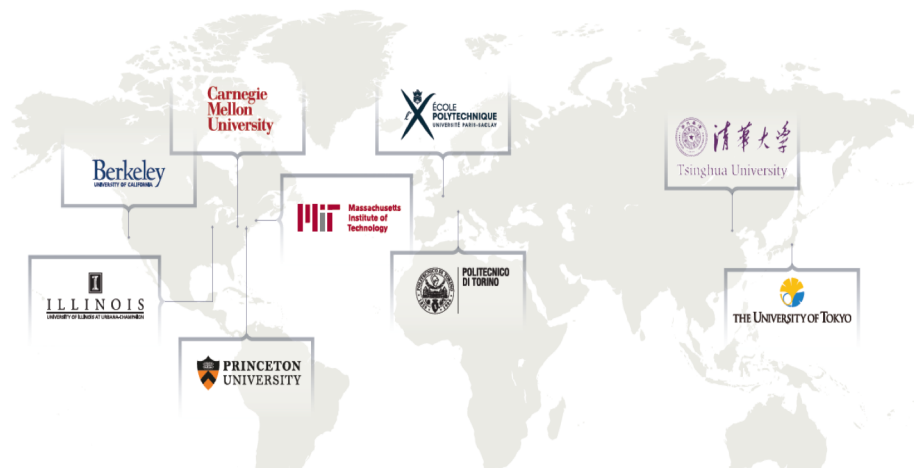


- +2,000 researchers
- Mission to improve safety, reliability & profitability of EDF Group assets:
  - Power Generation assets: Renewable Energy, Nuclear, Thermal..
  - Power Transmission and Distribution assets
  - 3<sup>rd</sup> Parties asset management
- Bring Data Science to EDF Business through applied research and demonstration projects.



# Siebel Energy Institute

Advancing the science of smart energy



SEI is a consortium of international universities focused on advancing data analytics research for energy systems in an open, collaborative and publicly-available manner.

SEI funds research in data analytics for the electrical smart grid, the oil and gas industry, and other modern energy systems.

<http://www.siebelenergyinstitute.org/>



# SumUp Analytics

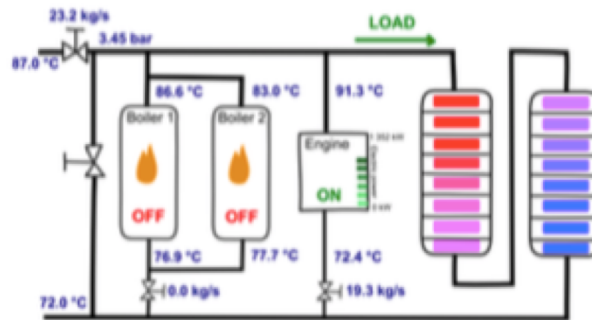
The voice of people, markets, machines



SumUp is a startup specializing in predictive text intelligence, with solutions tailored for the energy markets.

# Robust energy management

## Of a Combined Heat and Power (CHP) Plant



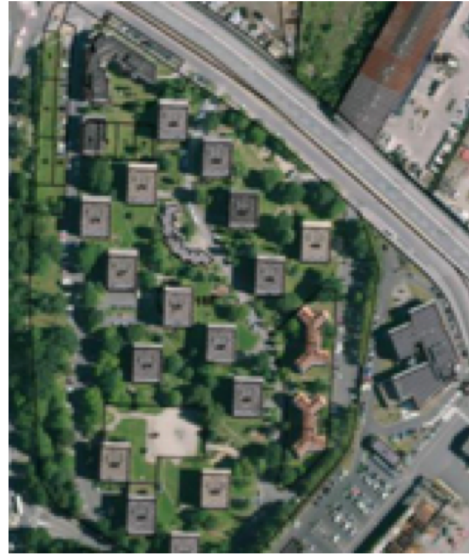
CHP generation:

- Cheap.
  - Environmentally friendly.
- System has thousands of production variables.

**Basic problem:** adjust 24-hour production variables so as to minimize operational costs, under operational and demand constraints, with **demand not exactly known** in advance.

# Design of a complex energy system

Using optimization-friendly models



Most energy systems have complex dynamics, which are highly dependent on design variables (shape of turbines, location of buildings, thickness of insulating material, etc).

**Basic problem:** adjust the design parameters so as to optimize the average performance of the system.

# Predictive maintenance

Via text analytics



Predictive maintenance is based on installing sensors on all the relevant machinery, and collecting/analyzing petabytes of data.

- High setup costs.
- Capital intensive.
- ROI unclear.

Can we use text analytics on technician maintenance reports to help diagnose / predict maintenance or safety issues?

# What is data science?

Data Science

=

Machine Learning, Statistics

(Predict, diagnose)

+

Optimization, control

(Act)

Analogy: driving

# Outline of this brief tour...

- Representation of data
- Unsupervised learning
- Supervised learning
- Optimization models

# Data sets

Today ``data'' covers many things:

- Numbers: physical measurements, prices, economic and index indicators, etc.
- Text: news, safety reports, SEC filings, PR documents, analyst reports, etc.
- Images & videos: satellite, TV broadcasts, interviews, transcripts, etc.

Many of these data sets can be put in numerical, tabular form



## Example: representing text collections

**Sentence:** *Gold drops as China tightens, down 2 percent on week.*

**Dictionary:** gold, silver, china, u.s., bernanke, tightens

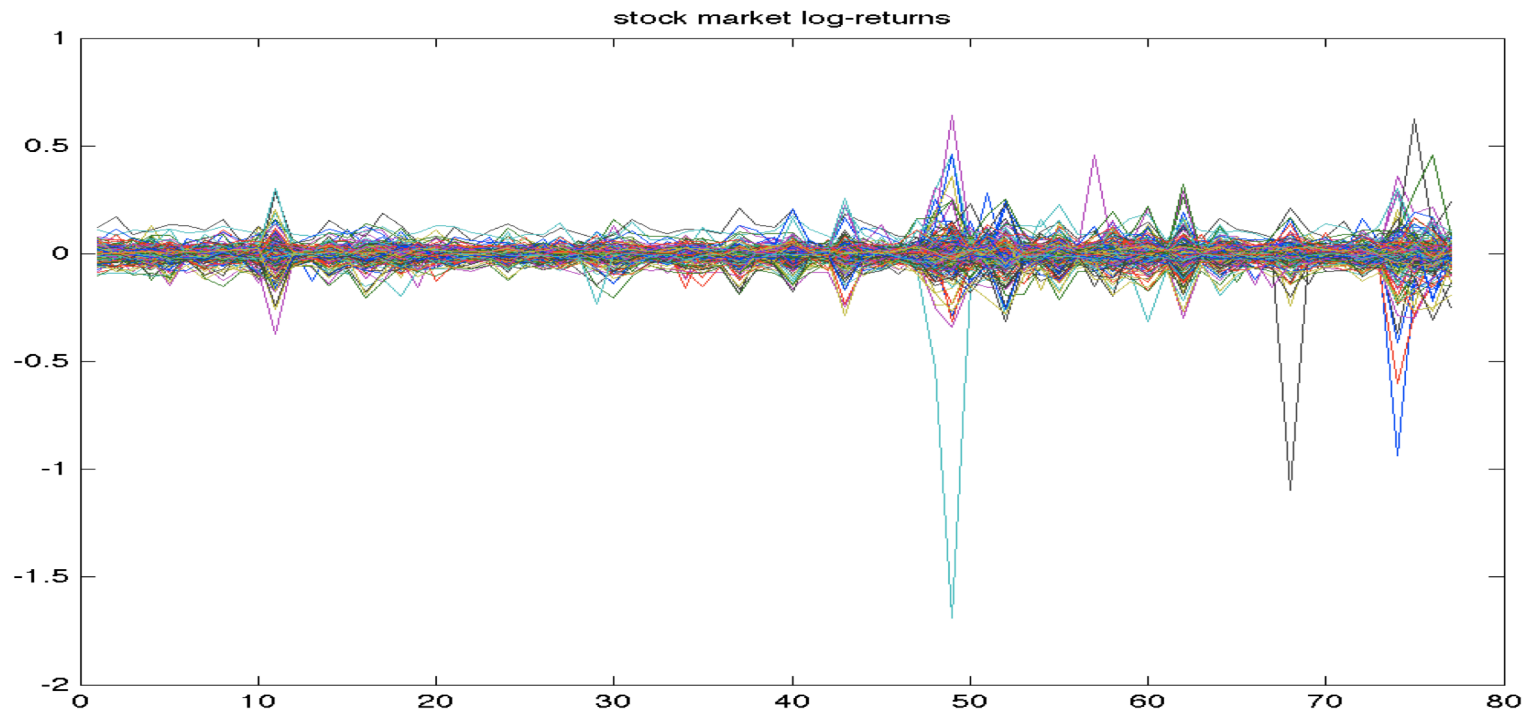
**Numerical form of sentence:**  $x = (1,0,1,0,0,1)$

Any collection of documents can be represented in tabular form:

- A column represents a single document.
- A row represents the “score” of a particular term across documents.

# Unsupervised learning

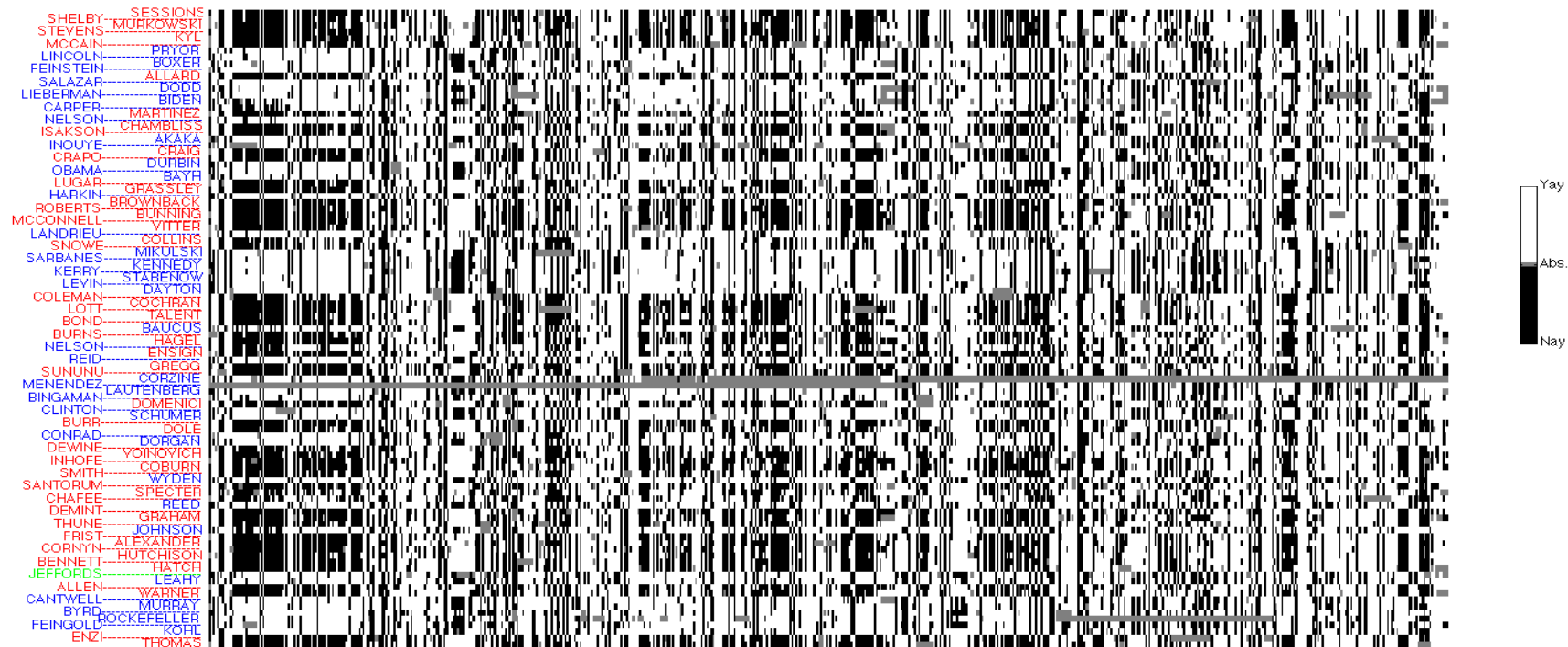
## Market data



Can we make sense of this market data?

# Unsupervised learning

## Senate voting data (2004-2006)



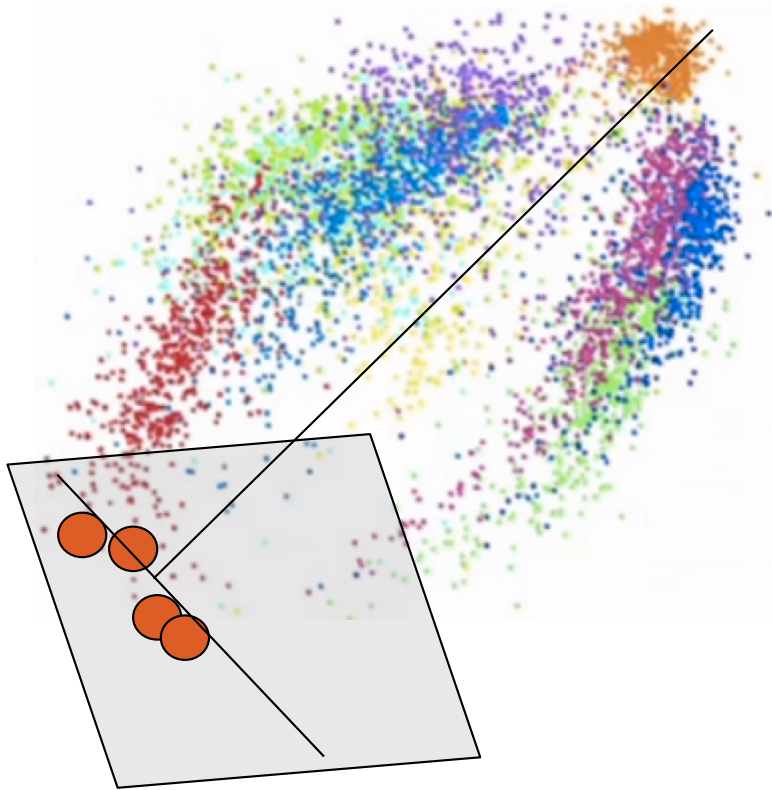
Are there any patterns you see?

# Unsupervised learning

## Principal component analysis

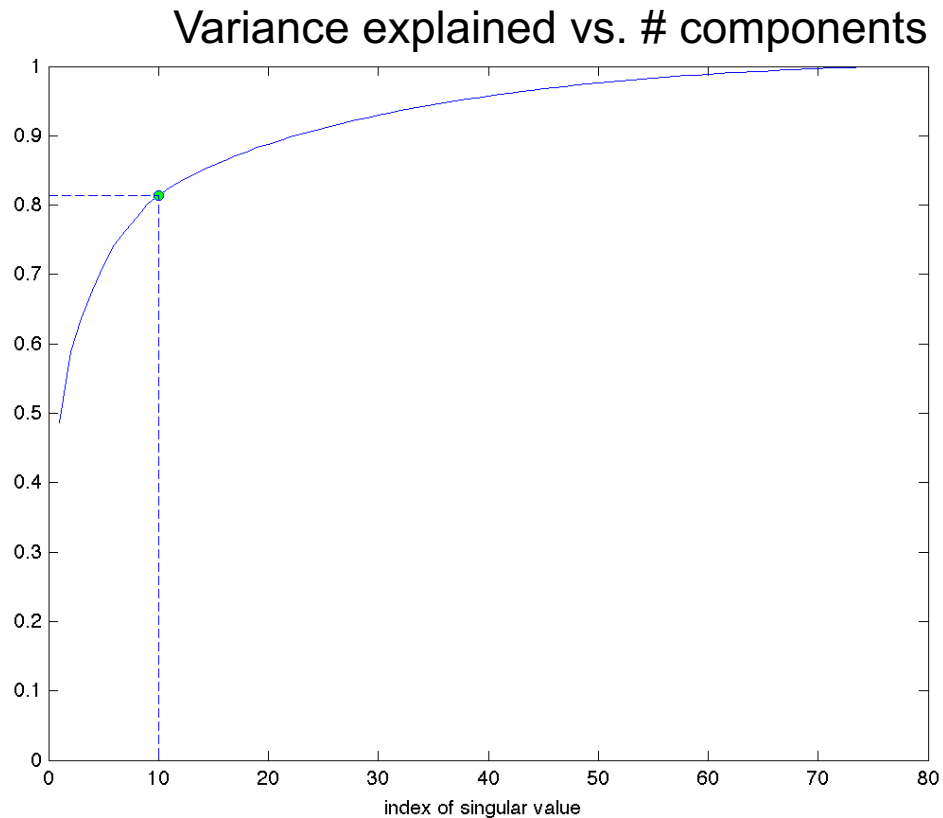
PCA algorithm:

- Find direction of highest variance
- Project data orthogonal to that direction
- Repeat on projected points
- Stop until satisfactory level of cumulative variance



# Unsupervised learning

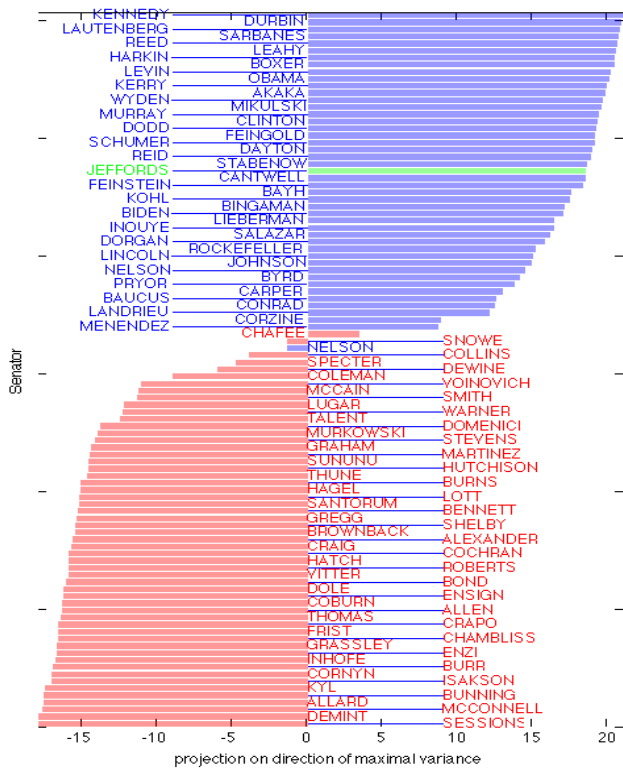
## PCA of market data



- First ten components explain 80% of the variance.
- Highest component all involves troubled financials (ABC, FTU, MER, AIG, MS).

# Unsupervised learning

Senate voting data: projecting data

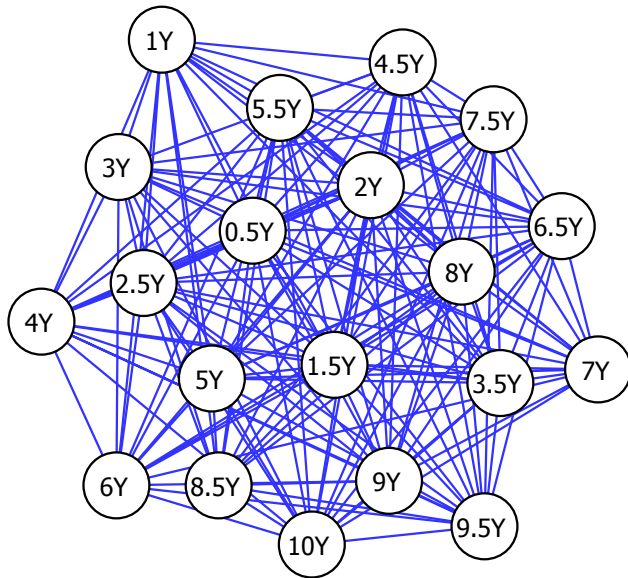


Highest-variance direction recovers party line!

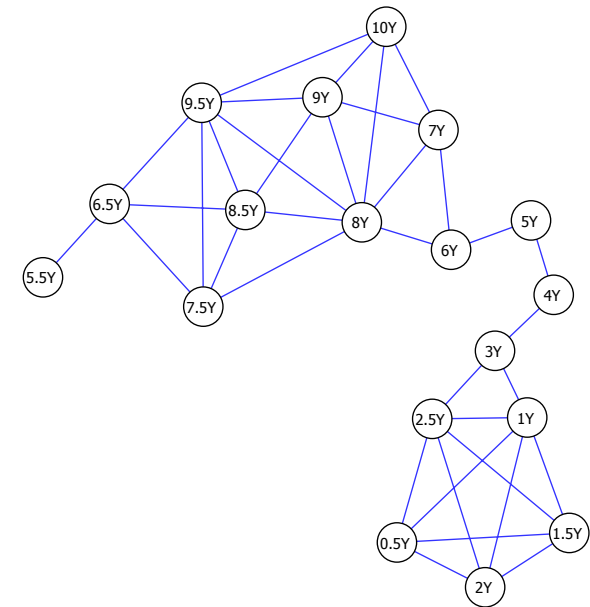
Allows to score Senators.

# Unsupervised learning

Beyond PCA: graphical model for interest rate data



Correlation graph:  
All assets are correlated



Conditional independence graph:  
Discovers structure

# Supervised learning

## Overview

In supervised learning, data points come with “side” information:

- Real numbers
- Binary
- Other

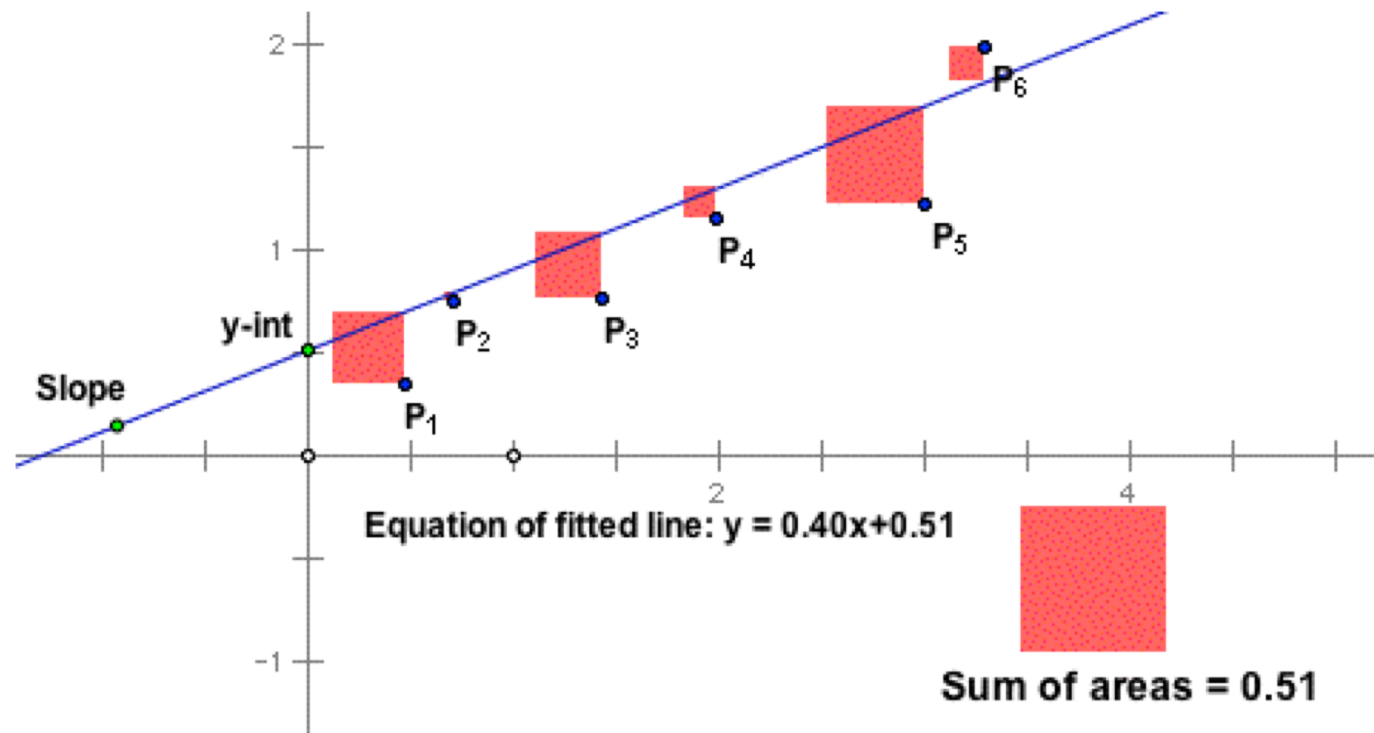
Goal is to predict the “side information” for a new data point.

**Example:** based on time-series data, predict failure of an equipment.



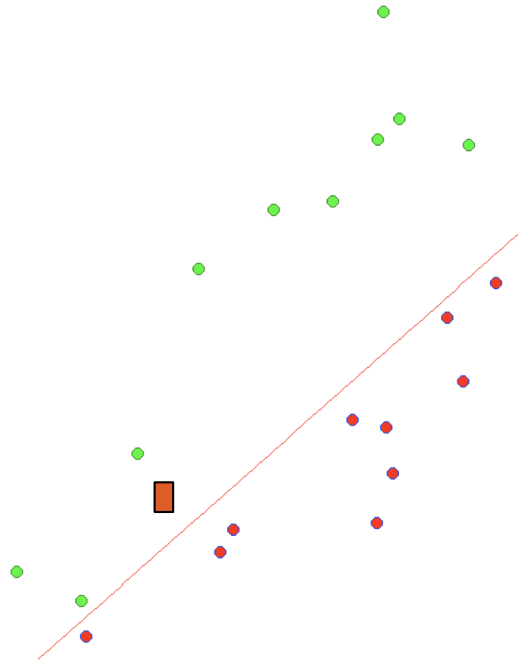
# Supervised learning

## Model fitting



# Supervised learning

## Classification



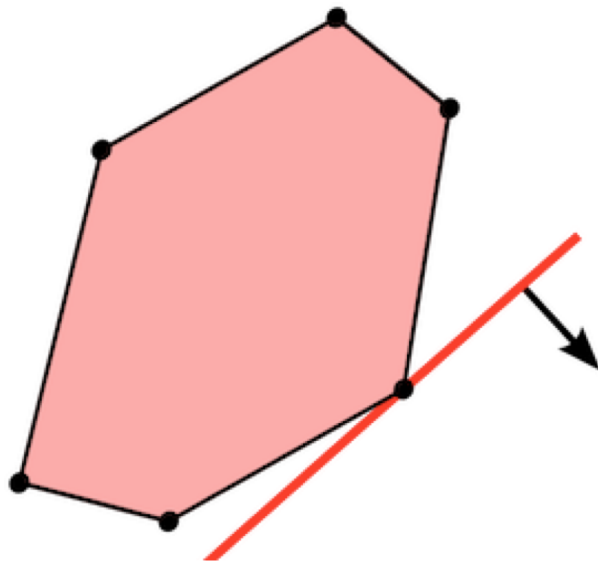
Data set comes with labels

- Task: predict the label of a new point
- Method: separate training data with a plane
- Result: predict label of a new point based on which side it falls

In **sparse learning**, we also need to identify the key features that are involved in the prediction.

# Optimization

## Linear programming model



Linear program:

$$\min_x c^T x \text{ subject to } Ax \geq b :$$

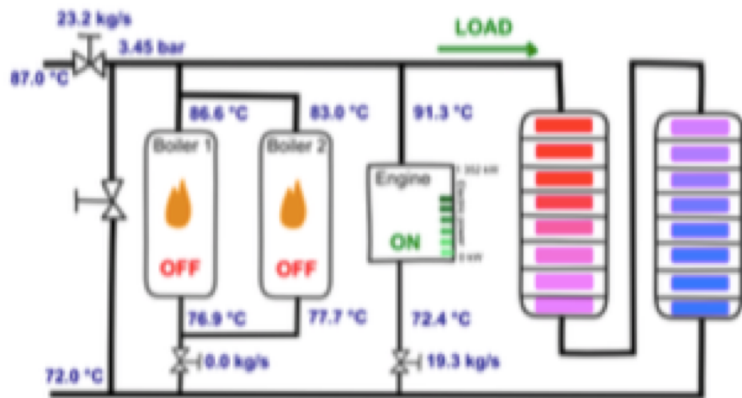
- $x$  is a vector of “decision variables”
- Constraints are linear on  $x$

LPs and variants can be used to describe many decision problems, e.g. energy management or optimal design of engineering systems.

# Example

## Model of energy production

Linear program:  $\min_x c^T x$  subject to  $Ax \geq b$ :



In energy production applications:

- $x$  is a vector of production variables.
- $Ax$  represented produced items.
- Vector  $b$  represents demand.
- Vector  $c$  represents cost.

Some variables can be binary, leading to a more complex model.

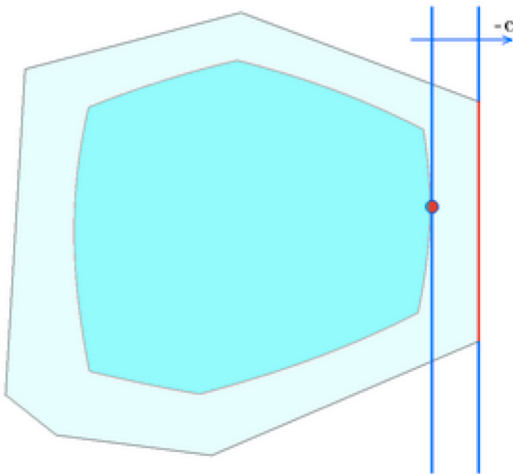
# Robust optimization

## Robust LP

In practice, data in LPs may not be exactly known at solution time.

Robust linear program:

$$\min_x c^T x \text{ subject to } Ax \geq b \text{ for all } b \in \mathcal{B}$$



- Vector  $b$  is unknown, but bounded in a set  $\mathcal{B}$
- Constraints are satisfied for every  $b$  in set  $\mathcal{B}$

# Summary

Which data science for which case?

To apply data science in practice:

## Task

Diagnose, understand big picture  
Prepare data for other tasks

Predict

Automate decisions

## Model to use

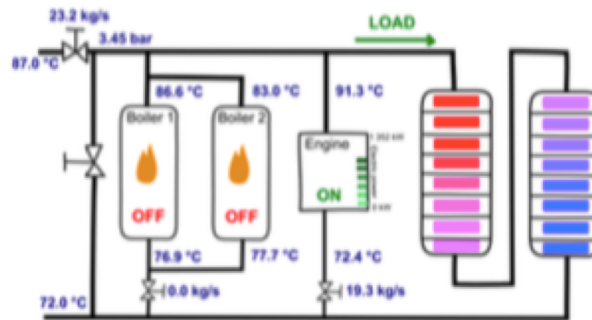
Unsupervised learning

Supervised learning

Optimization

# Robust energy management

## Of a Combined Heat and Power (CHP) Plant



CHP generation:

- Cheap.
  - Environmentally friendly.
- System has thousands of production variables.

**Basic problem:** adjust 24-hour production variables so as to minimize operational costs, under operational and demand constraints, with **demand not exactly known** in advance.

# Robust energy management

## Variables and constraints

The production vector  $x$  contains

- 840 binary variables which represent all-or-nothing states (On/Off mode),
- 672 continuous variables which represent the amount of gas consumed by the equipment or the level of energy produced, etc.
- Among the 2,518 constraints, only 24 of them are subject to uncertainty: Every hour, we impose that the heat delivered to the network satisfies the heat demand.

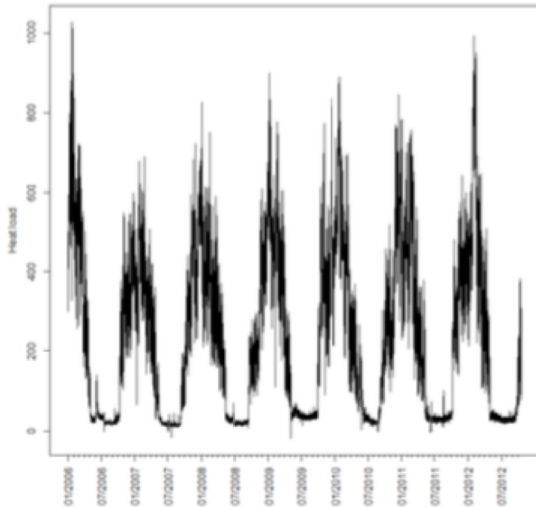


# Building the model

Fitting uncertainty model to historical data

Simple uncertainty model:

$$B = \{ \hat{b} + Bu : u \in \mathbb{R}^P, \|u\|_\infty \leq \rho \}$$

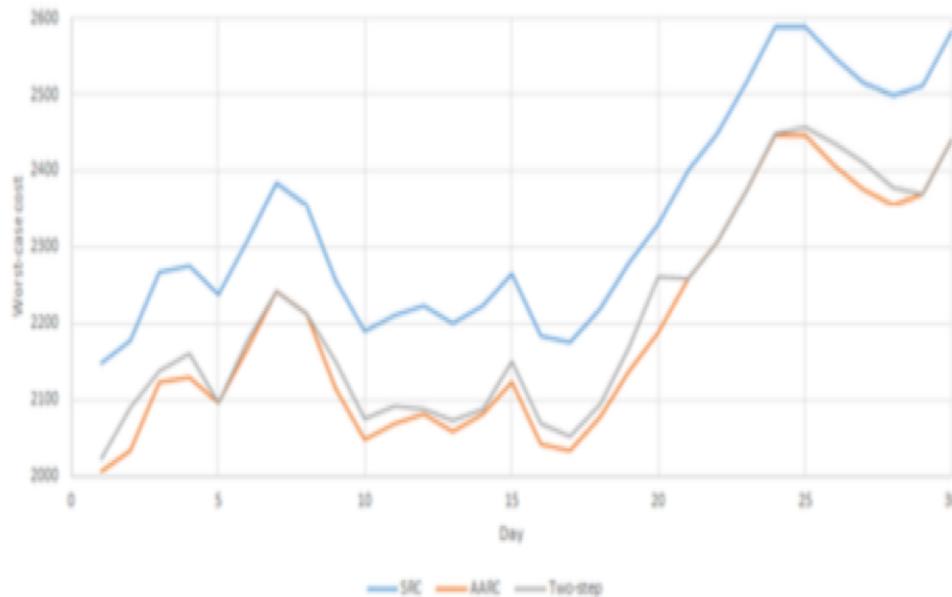


- $\hat{b}$  now corresponds to the estimated demand vector (over the next 24-hour period).
- Matrix  $B$  allows to account for “ripple effects” in uncertainty.

Model can be fitted with supervised learning methods.

# Results

In terms of worst-case cost

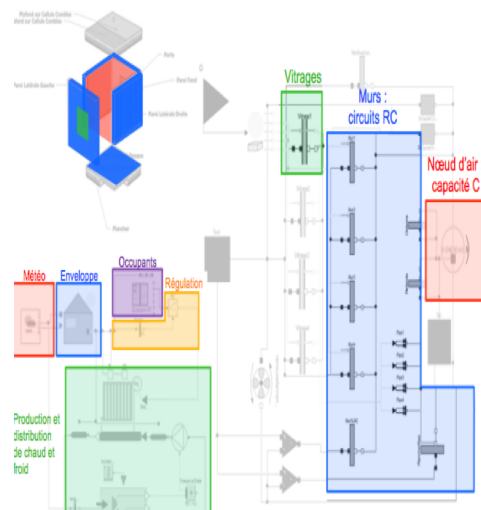
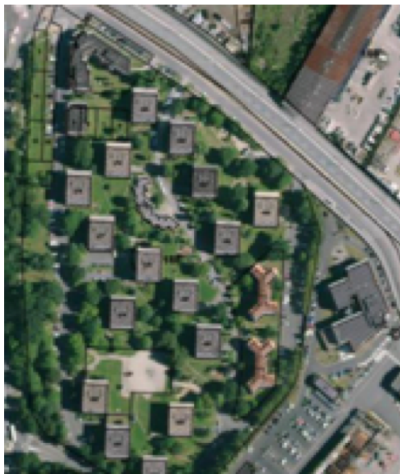


Measuring performance via “worst-case” cost (over allowable uncertainty):

- Original LP model can lead to unsatisfied constraints.
- Robust LP and more sophisticated variants bring down worst-case cost greatly.

# Design of a complex energy system

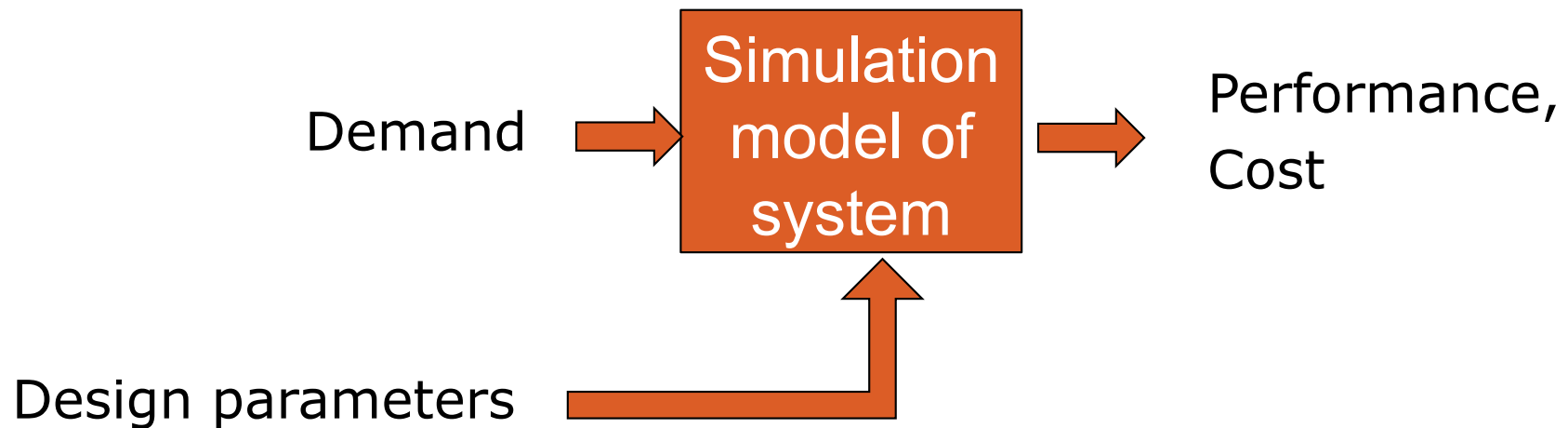
Renovation of a set of 22 buildings



**Goal:** For a set of 22 buildings, optimize renovation parameters (wall thicknesses, isolation, etc), so as to minimize average energy consumption, taking into account

- Constraints on parameters.
- Temperature (comfort) limits.
- Uncertainty on future demand.

# Classical approach



## Classical approach:

- Setup a (complex) **simulation** model as accurate as possible.
- Optimize the simulation model by exhaustive or heuristic search in parameter space.

## Challenges in classical approach:

- Parameter search is complicated and time-consuming.
- Might produce spurious optima, or not converge.

# Optimization-friendly approach

## Basic idea

Model system in a way that guarantees that the parameter search is easy.

- So-called “posynomial models” are examples of models that can effectively optimized.
- They generalize “power laws” that govern (or, accurately model) many physical systems.

$$f(p) = x_1 p_1^{a_{11}} p_2^{a_{12}} + x_2 p_1^{a_{21}} p_2^{a_{22}}$$

# Optimization-friendly approach

## Procedure

- Use a (complex, “un-friendly”) simulation model to obtain a set of input-output data.
- Model the input-output behavior by a (friendly) **proxy** model.
- Optimize the proxy model.

The approach involves:

- Sampling the parameter space;
- For each set of parameter values, get an input-output pair.
- From those pairs, learning the model.

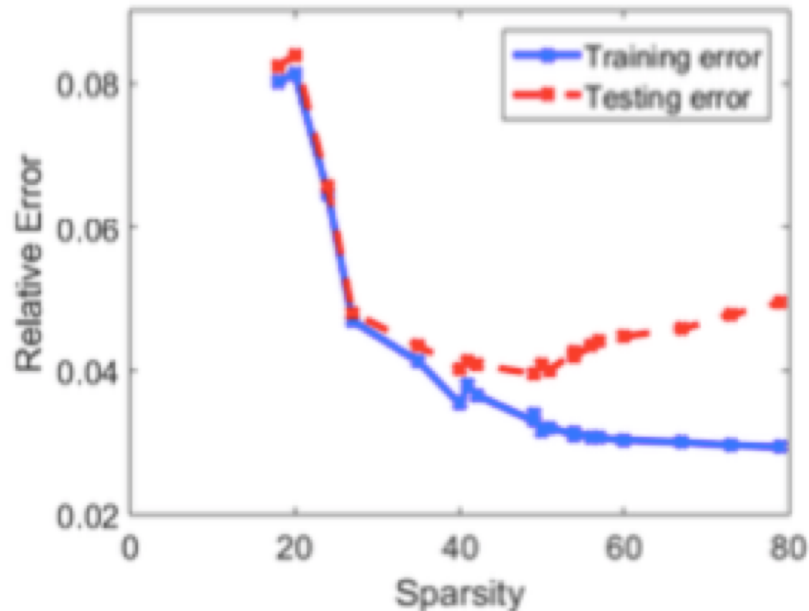
# Getting simulation data

Using Dymola simulation model

- $n = 3,174$  simulations.
- $n$  sample points split into training and validation set (50-50).
- Simulated 2,4192,000s (28 days) with  $\Delta t = 3,600$ s.
- Latin hypercube sampling in  $[0, 1]$  for parameters (5 of them)

# Model Fitting Results

With a posynomial model



Using sparse machine learning we identified a model with **44 terms** that is  $\sim 4\%$  accurate, for both energy and temperature.

This is the function below, with **specific** values of  $x$ ,  $a$ , and  $n=44$ :

$$f(p) = x_1 p_1^{a_{11}} p_2^{a_{12}} \dots p_5^{a_{15}} + \dots + x_n p_1^{a_{n1}} p_2^{a_{n2}} \dots p_5^{a_{n5}}$$



# Parameter optimization

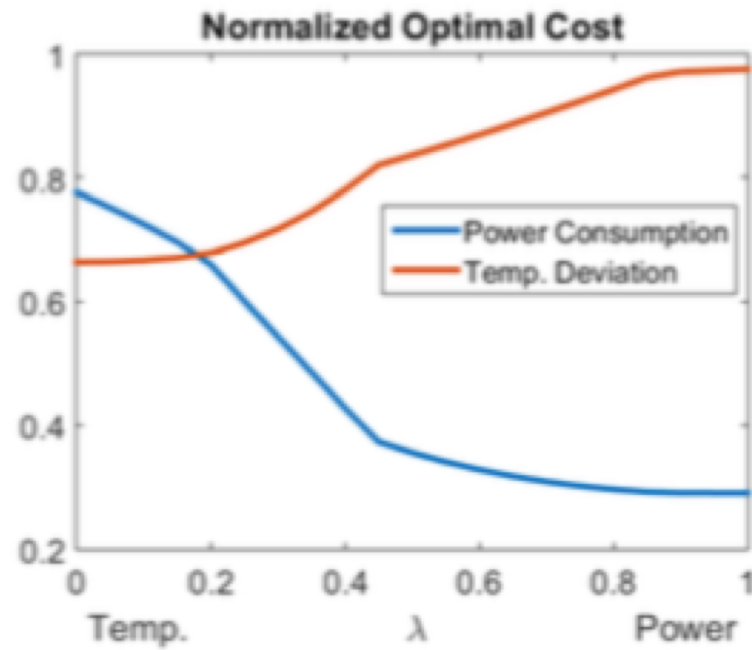
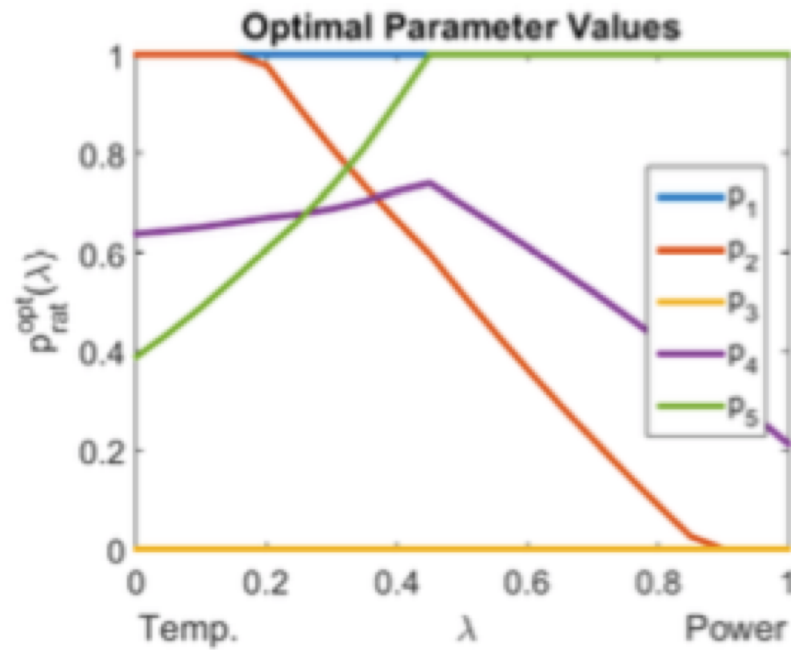
With a posynomial model

Optimization problem:

$$\begin{aligned} & \underset{p \in \mathbb{R}^5}{\text{minimize}} && \lambda \frac{\hat{E}(p)}{\bar{E}} + (1 - \lambda) \frac{\hat{M}(p)}{\bar{M}} \\ & \text{subject to} && p \in \mathcal{H} \end{aligned}$$

- $p$ : vector of parameters
- Set  $\mathbf{H}$  describes constraints on  $p$
- $\hat{E}$ ,  $M$  are proxy energy and temperature functions

# Parameter optimization results



- Clear trade-off between power consumption and temperature deviation
- Power-temperature trade-off depends on  $p_2$ ,  $p_4$ , and  $p_5$
- Trade-off does not depend on  $p_1$  and  $p_3$

# Parameter optimization results

With a posynomial model

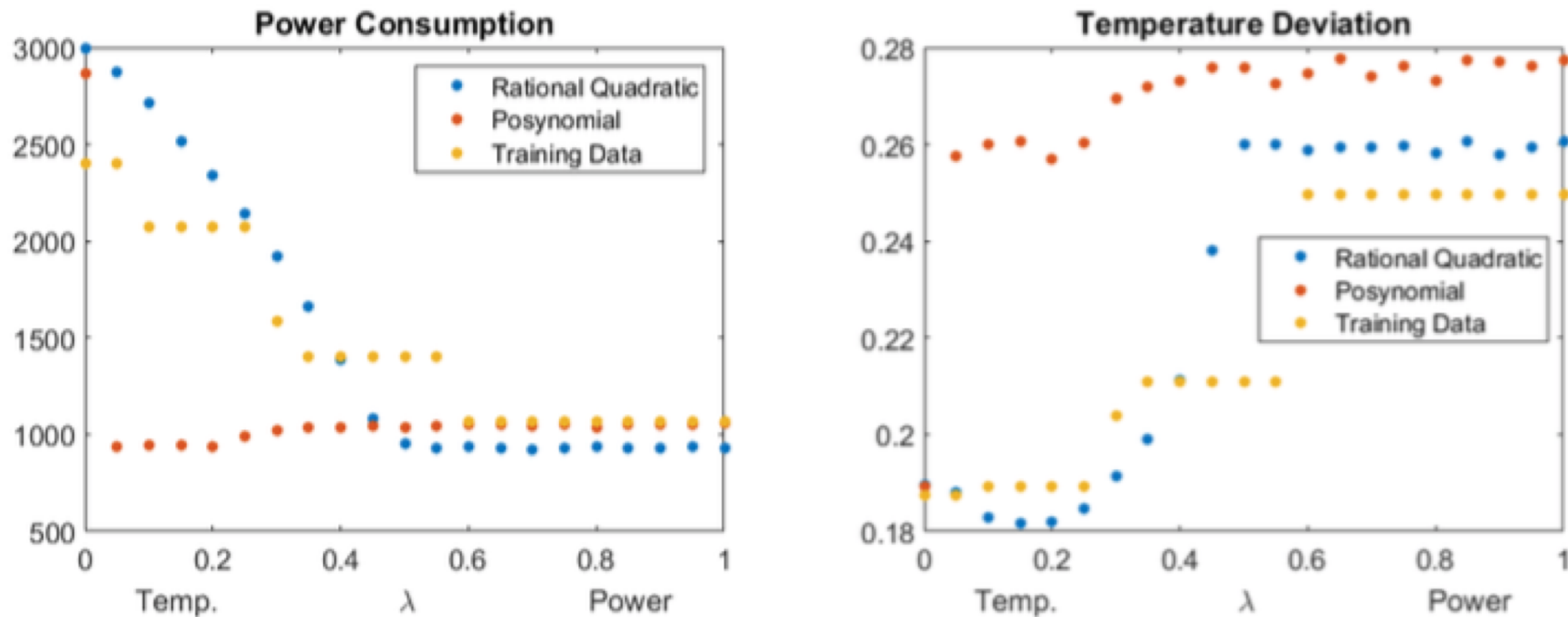


Figure 14: Dymola simulation of optimal parameters versus sampled data.

# Unsupervised learning

## Text data

### ASRS data:

A collection of ~25K reports on flight safety written by commercial pilots in the US, maintained by NASA.



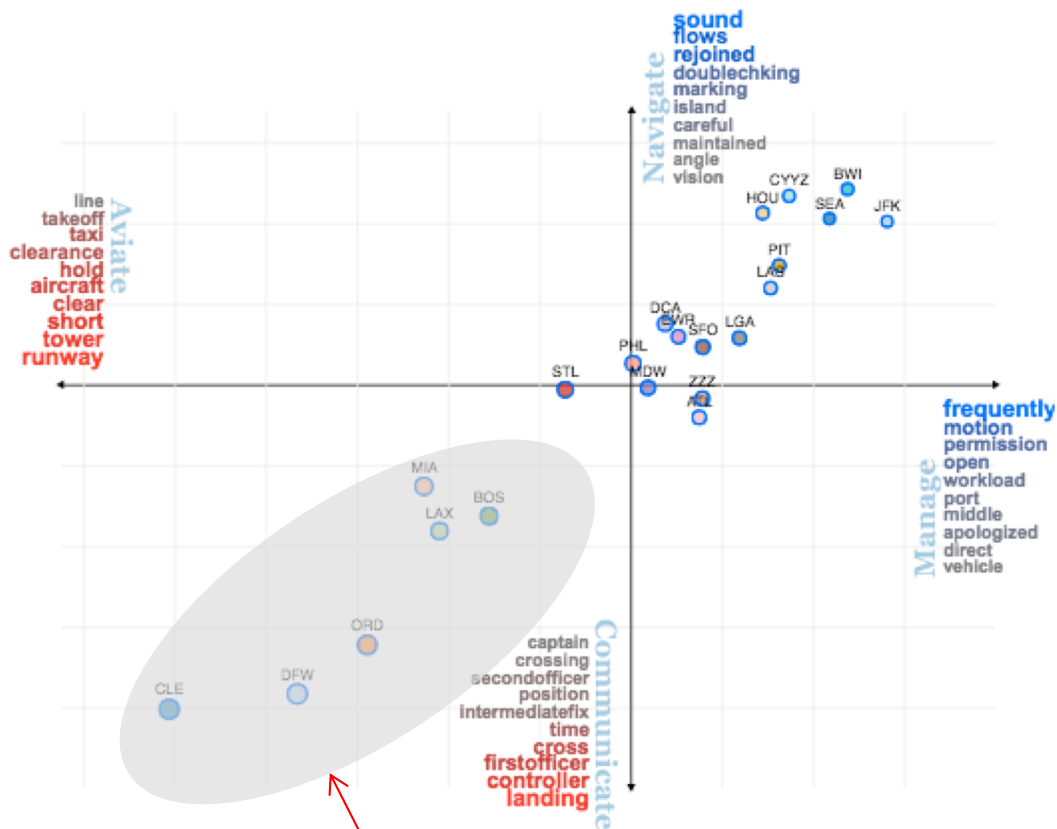
### Goals:

- Understand and diagnose issues.
- If possible, predict incidents.



# Unsupervised learning

## PCA of ASRS data



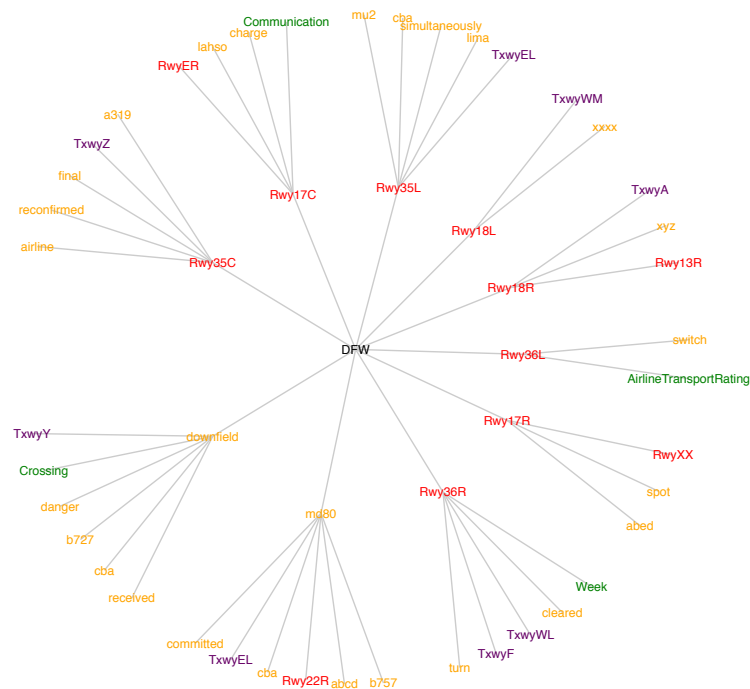
Communications / runway issues predominant in big airports

Highest variance directions correspond to four main pilot tasks:

- Navigate (fly)
- Aviate (on runway)
- Communicate (with tower)
- Manage

# Supervised learning

Sparsity: learning the relevant features



**Goal:** Analyze the relevant features in classifying reports from one airport against all others

- At DFW we find the terms “Rwy36R” and “TxwF”.
- This corresponds to an intersection with lots of near-miss collisions, due to lack of visibility from Tower.

# Conclusion and perspectives

- Methodology
  - Estimating demand uncertainty based on statistical models
  - Optimization-friendly models: Kriging (sampling) methods
- Applications, looking forward
  - Text mining approach to support predictive maintenance of power assets.
  - Applications of complex modeling / control to Electric Grid

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- [Siebel Energy Institute](http://www.siebelenergyinstitute.org/machine-learning-tool-manages-power-generation-efficiently-human-operators/) : related article on the Energy Institute website:  
<http://www.siebelenergyinstitute.org/machine-learning-tool-manages-power-generation-efficiently-human-operators/>



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